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Traffic Prediction in a Bike-Sharing System

Team 1

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Background

- Bike-sharing systems are widely deployed in many major cities, providing a convenient transportation mode for citizens' commutes.
- As the rents/returns of bikes at different stations in different periods are unbalanced, the bikes in a system need to be rebalanced frequently.



Solution Overview

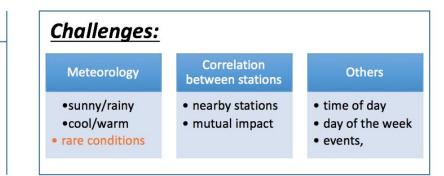
Real-time monitoring

 Monitoring the current number of bikes at each station cannot tackle the challenge thoroughly, as it is too late to reallocate bikes after an imbalance has occurred.

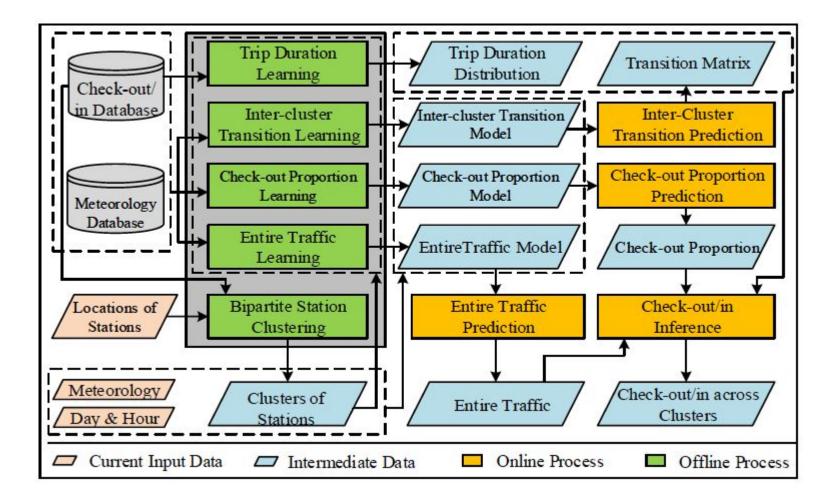
Hierarchical Model

- Bipartite Station Clustering
- multi-similarity-based inference model
- check-in inference algorithm



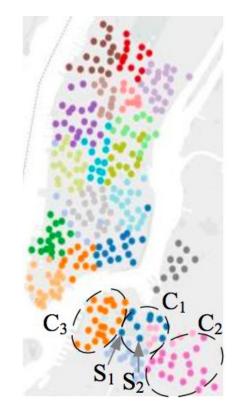


Framework

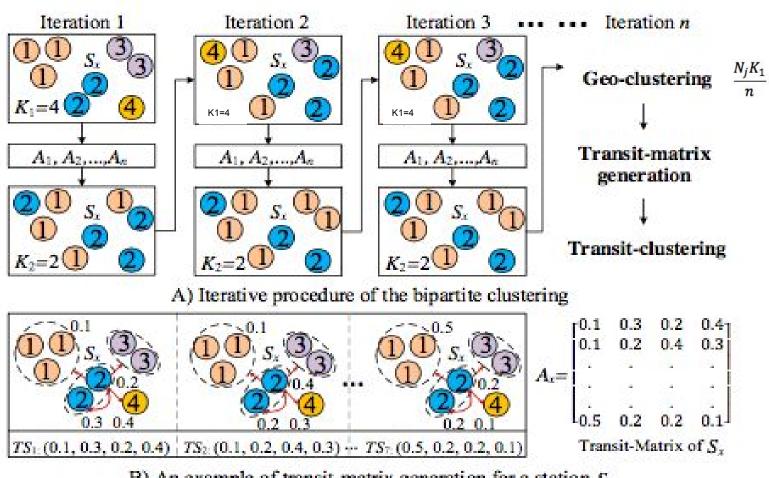


Bipartite Station Clustering

- Group individual station into clusters according to their geographical location and transition patterns.
 - a single station's traffic seems too chaotic to predict.
 - It is not necessary to predict the check-out/in of each individual station.



Bipartite Station Clustering



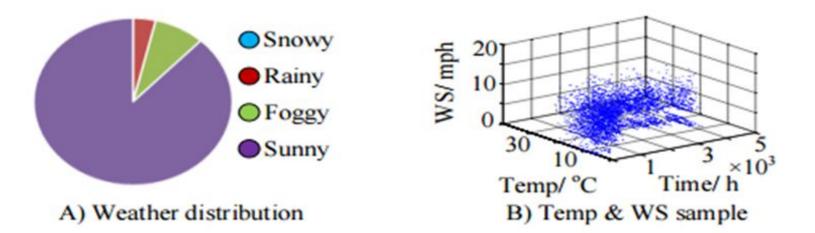
B) An example of transit-matrix generation for a station S_x

Entire Traffic Learning

- In hierarchical prediction model, the traffic in the higher level is predicted first.
- Time features
 - the hour of the day
 - \circ the day of the week
- Meteorology features
 - weather
 - temperature
 - \circ wind speed

Insights

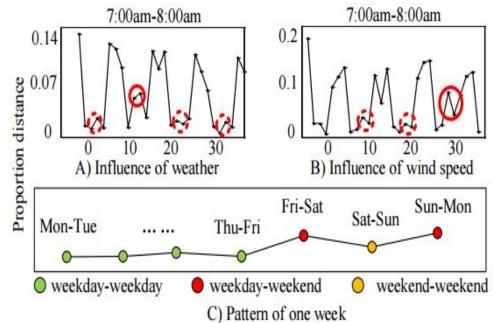
- To allocate entire traffic to each cluster, we predict each cluster's check-out proportion first
- A multi-similarity-based inference model is proposed.



- Handle unbalanced meteorology distribution problem
- Guarantee cluster sum of 1 and manage between-cluster difference

• Insights

- Our multi-similarity-based inference model integrates 3 similarity functions between features
- Time similarity λ_1 (t1, t2)
- Weather similarity λ_1 (w1, w2)
- Temperature & wind
 Speed similarity
 K ((Pt1, Vt1), (Pt2, Vt2))



Methodology

- Assume 1, 2, ..., H are the H most recent periods to t
- Denote corresponding check-out proportions P1, P2, ...,
 Рн and Pt
- Their features are f1, f2, ..., fн
- So that Pt can be predicted by multi-similarity-based inference model

$$\widehat{P}_{t} = \frac{\sum_{i=1}^{H} W(f_{i}, f_{t}) \times P_{i}}{\sum_{i=1}^{H} W(f_{i}, f_{t})}$$

- Methodology
 - **•** The multi-similarity function, W(fi, fH) is obtained by

$min_W \sum_{t=H+1}^T L(E_t \times P_t, E_t \times \hat{P}_t)$

- T ~ Sample size of historical data
- Et x Pt, Et x (cap)Pt ~ ground truth and prediction value of check-out across clusters
- L ~ Loss function used to measure the prediction error
- The multi-similarity function W has 3 components:

 $W(f_i, f_t) = \lambda_1(i, t) \times \lambda_2(w_i, w_t) \times K((p_i, v_i), (p_t, v_t))$

Methodology

- Time Similarity
 - Intuitively, check-out proportions corresponding to the same hour or a day are more similar than those corresponding to different hours
 - Additionally, if two proportion vectors both belongs to weekdays or another, the more closed the two days are, the more similar these two vectors should be

$$\begin{split} \lambda_1(t_1, t_2) &= \mathbf{1}_{t_1, t_2} \times \rho_1^{\Delta h(t_1, t_2)} \times \rho_2^{\Delta d(t_1, t_2)} \\ \Delta h(t_1, t_2) &= \min\{r(t_1, t_2), 24 - r(t_1, t_2)\} \\ r(t_1, t_2) &= mod(|t_1 - t_2|, 24) \\ \Delta d(t_1, t_2) &= \left[\frac{|t_1 - t_2|}{24}\right] \end{split}$$

Methodology

- Weather Similarity
 - The weather patterns are categorized into four categories: snowy, rainy, foggy and sunny
 - The similarity matrix is symmetric with 6 parameters

	snowy	rainy	foggy	sunny	
snowy	1	α_1	α_2	α3	
rainy		1	α_4	α_5	$\alpha_1 > \alpha_2 > \alpha_3, \alpha_4 > \alpha_5$
foggy			1	α ₆	$\alpha_6 > \alpha_5 > \alpha_3, \alpha_4 > \alpha_2$
sunny				1	

The more different two weather patterns are, the smaller the similarity between them is

Methodology

- Temperature/wind speed domain is continuous, with 'missing' scenarios in historical data
- 2-D Gaussian Kernel function to measure the similarity between (*pt*1 , *vt*1) and (*pt*2 , *vt*2)

$$K\left(\left(p_{t_1}, v_{t_1}\right), \left(p_{t_2}, v_{t_2}\right)\right) = \frac{1}{2\pi\sigma_1\sigma_2} e^{-\left(\frac{\left(p_{t_1} - p_{t_2}\right)^2}{\sigma_1^2} + \frac{\left(v_{t_1} - v_{t_2}\right)^2}{\sigma_2^2}\right)}$$

 As the prediction errors of successive time periods are not independent, we add an error correction item to the multi-similarity-based inference model.

- Methodology
 - The multi-similarity-based model adopted is

$$\widehat{P}_t = \frac{\sum_{i=1}^H W(f_{i}, f_t) \times P_i}{\sum_{i=1}^H W(f_{i}, f_t)} + \sum_{j=1}^J \psi_j e_{t-j}$$

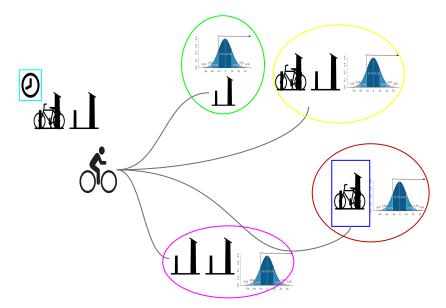
O Here, the added items *et−j* = *Pt−j* − (cap)*Pt−j* are the prediction errors of periods *t* − *j*,*j* = 1,2, ...,*J*; *J* is a threshold of time lag

Inter-cluster Transition Learning

 We predict each cluster's check-in based on their check-out

Inter-cluster Transition Learning

- The inter-cluster transition matrix describe the transition probability between clusters
- Using multi-similarity-based inference model to predict the matrix



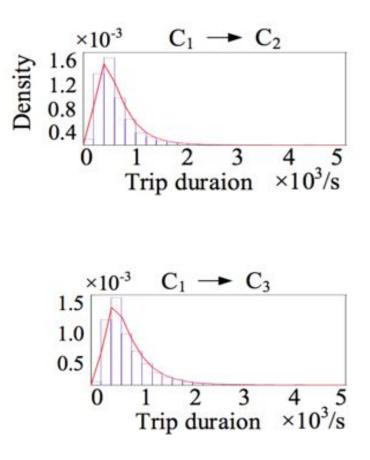
Trip Duration Learning

- In bike traffic, jam is no longer an important factor that affects trip duration
- It is mainly determined by the locations of bike stations
- Duration does not change too much



Trip Duration Learning

- According to NYC's bike data, the trip duration between each pair of cluster
- By maximum likelihood estimation, we obtain symmetric matrix, describing the trip duration between cluster Ci and Cj



Online Prediction Process

- Check-out Inference
 - Entire traffic Prediction Et
 - Check-out proportion prediction Pt
- Calculation
 - Check-out of each cluster Ci is

O = Et * Pt

Online Prediction Process

- Check-in Inference For Common Scenarios
 - use the same model as calculating check-out
 - Entire traffic Prediction Et
 - Check-in proportion prediction Pt
- Check-in Inference For anomalous Scenarios
 - Update the prediction of target cluster in real time For a bike,
 - o Original Cluster Ci
 - Check out time
 - $_{\rm O}$ Inter-cluster transition matrix and trip duration
 - Get the expectation number of bikes on their way which are going to check in this cluster

Experiments

Data Source:

New York

We use the data of Citi Bike system, which is in NYC, from 1st Apr. to 30th Sep. in 2014 as the bike data. We use the meteorology data of NYC, from 1st, Apr. to 30th, Sep.

D.C

We use the data of Capital Bikeshare system, which is mainly in D.C., from 1st Apr. to 30th Sep. in 2014 as the bike data. we use the meteorology data in D.C., from 1st, Apr. to 30th, Sep., 2014

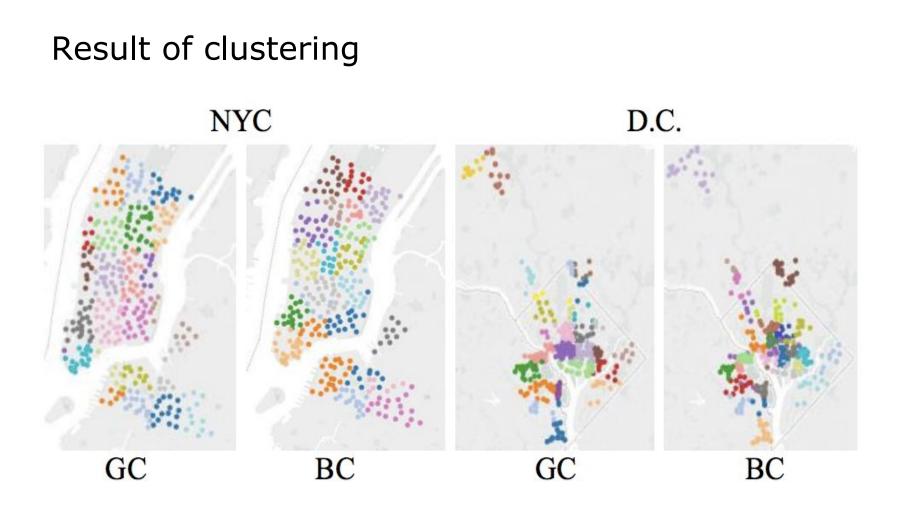
Baseline & Metric

Methodologies:

HA, ARMA, GBRT, HP-KNN, GC,

Metric: RMLSE,ER





Results (cont.)

Method	All Hours								Anomalous Hours								
	RMLSE				ER					RM	LSE		ER				
	NY		WA		NY		WA		NY		WA		NY		WA		
	GC BC		GC	BC	GC	BC	GC	BC	GC	BC	GC	BC	GC	BC	GC	BC	
HA	0.387	0.372	0.439	0.451	0.353	0.355	0.453	0.489	1.038	1.027	0.653	0.715	1.964	1.968	2.111	2.136	
ARMA	0.371	0.354	0.413	0.421	0.346	0.346	0.416	0.445	1.114	1.105	0.680	0.722	2.276	2.273	2.245	2.109	
GBRT	0.386	0.369	0.423	0.425	0.311	0.314	0.371	0.375	0.647	0.621	0.686	0.670	0.696	0.683	0.830	0.847	
HP-KNN	0.377	0.358	0.424	0.410	0.298	0.299	0.364	0.359	0.664	0.642	0.685	0.694	0.692	0.685	0.836	0.838	
HP-MSI	0.371	0.349	0.421	0.407	0.288	0.282	0.351	0.347	0.646	0.597	0.679	0.664	0.637	0.503	0.794	0.783	

Table 3. Prediction error of check-out across clusters

Table 4. Prediction error of check-in across clusters

Method	All Hours								Anomalous Hours								
	RMLSE				ER					RM	LSE		ER				
	NY		WA		NY		WA		NY		WA		NY		WA		
	GC	BC	GC	BC	GC	BC	GC	BC	GC	BC	GC	BC	GC	BC	GC	BC	
HA	0.377	0.365	0.435	0.448	0.347	0.352	0.448	0.485	0.954	0.982	0.617	0.672	1.837	1.835	2.201	2.217	
ARMA	0.363	0.352	0.409	0.418	0.340	0.344	0.405	0.445	1.025	1.046	0.631	0.700	2.152	2.143	2.123	2.288	
GBRT	0.382	0.365	0.420	0.422	0.309	0.309	0.370	0.375	0.624	0.653	0.689	0.701	0.681	0.671	0.834	0.835	
HP-KNN	0.375	0.360	0.415	0.411	0.302	0.295	0.367	0.361	0.659	0.647	0.703	0.686	0.694	0.684	0.830	0.830	
HP-MSI	0.365	0.350	0.408	0.402	0.297	0.290	0.353	0.340	0.646	0.608	0.675	0.660	0.642	0.506	0.810	0.802	
P-TD	0.384	0.373	0.425	0.419	0.335	0.302	0.365	0.359	0.626	0.598	0.564	0.558	0.498	0.445	0.802	0.789	

Conclusion

Our model is better and applicable to different bike-sharing systems

Thank you!