

The numbers in brackets [] are the grade point values.

Oscillator Energy

1. [20] Y&F Exercise 13.25.
2. [20] For Y&F Exercise 13.56, let the oscillator be at maximum amplitude $A_0 = 1.44 \text{ cm}$ at time $t = 0$.
 - a) Find the energy $E(t)$ of the damped oscillator.
 - b) At what point in time does E fall to half its initial value?

Forced Oscillations

3. [20] Y&F Exercise 13.60.
4. [30] Y&F Exercise 13.61.

Other Oscillators

5. [30] Y&F Exercise 13.34.
6. [20] Y&F Exercise 13.36.

The LCR Circuit

7. [30] Y&F Exercise 30.38.
8. [20] Y&F Exercise 30.41.

Suggested **examples**: Y&F 13.4, 13.5, 30.10, 30.11

Suggested **exercises**: Y&F 13.35, 13.37, and the following:

An LCR circuit obeys the equation of motion

$$\ddot{q} + \gamma \dot{q} + \omega_0^2 q = 0.$$

- a) For $R = 33 \Omega$, find the values of C and L to give $f_d = 1 \text{ kHz}$ and $Q = 3$.

A forcing voltage $V(t)$ is applied, such that

$$\ddot{q} + \gamma \dot{q} + \omega_0^2 q = \frac{V(t)}{L}.$$

$$V(t) = V_{max} \cos(\omega t).$$

- b) Given $V_{max} = 2.2 \text{ V}$, $\omega = 1610 \text{ rad/s}$, and using the values of L, C, R from part (a), find the steady state amplitude and phase.