

# Dynamics Lab Report

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**Question:** How does the weight of  $m_1$  change as the mass of  $m_2$  increases with an acceleration of 0?

**Hypothesis:** As the weight of  $m_2$  increases, the weight required for  $m_1$  to move with an acceleration of zero will also increase. This relationship will form a linear graph, with the slope indicating the coefficient of friction between  $m_1$  and the track.

## Methodology:

- The hanging mass in a modified Atwood's machine was varied by hanging differing  $m_2$  values. This was accomplished by adding weights to the string ( $m_2$ )
- The mass of  $m_1$  was adjusted in response to the change in  $m_2$  until the  $m_1$  moved forwards briefly at a constant velocity (acceleration is 0).
- The weights recorded in a table and graphed in a scatterplot of the mass of  $m_1$  vs. the mass of  $m_2$  with a line of best fit.



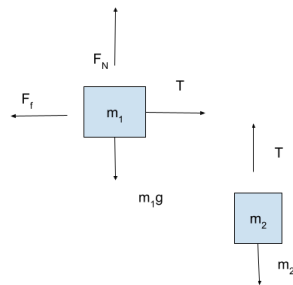
## Data:

This is the data and graph of the data of the  $m_1$  weights required to move  $m_2$  with an acceleration of 0

$m_1$ (grams)	$m_2$ (grams)
262.4	50
305.9	60
358.6	70
420.2	80
466.9	90
550.6	100
564.2	110
650.7	120
689	130



## Analysis:



The free body diagram in Figure 2 shows the forces acting on the masses in the modified Atwood's machine. This free body diagram allowed us to derive the equations found below. We decided that positive motion is to the right for the cart, and down for the hanging mass.

Based on this diagram we made the equation  $F - F_f = m \cdot a$ . We decided to make acceleration zero leaving us with  $F - F_f = 0$ .  $F_f = \mu \cdot m_1 \cdot g$ , so we can input that in the equation.  $F - \mu \cdot m_1 \cdot g = 0$ .  $F$  is equal to the tension between the two blocks, which based on our free body diagrams is equal to  $m_2 \cdot g$ .  $m_2 \cdot g - \mu \cdot m_1 \cdot g = 0$ . Simplifying this equation we get  $m_2 = \mu \cdot m_1$ .

This equation shows that there is a linear relationship between the mass of  $m_2$  and the mass of  $m_1$  required to match the static friction. Since we graphed  $m_1$  vs  $m_2$  of our graph values, we can find the slope and based on the equation the slope would be the  $\mu$  value.

We ended up with a linear regression of  $y = 0.1816x + 3.8693$  for the graphed data. We can identify that the  $\mu$  value between the metal and the felt is 0.1816. The  $y$  intercept value represents possible error in our experiment, as the equation states that the  $b$  value in  $y = mx + b$  will be equal to 0.

This proves our hypothesis because we were able to identify a  $\mu$  value that seems realistic relative to the movement of the cart. Also it is proven because the data graphed out in a linear relationship with a  $r^2$  value of 0.9935, which shows positive linear relationship. Possible sources of error was the assumption that the cart used was frictionless. It was assumed that the cart's friction would be non-existent or small enough to be negligible, and therefore the cart weight wasn't taken into account as it didn't affect the force of friction. If it wasn't negligible, this would have resulted in a different weight and therefore a different slope /  $\mu$  value. Another source of error could have been the weights picked themselves. Since there were only whole number increments for weights, the  $m_1$  and  $m_2$  values weren't as precise as possible.